# On Star critical Ramsey numbers related to large , cycles versus complete graphs 

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#### Abstract

Let $K_{n}$ denote the complete graph on $n$ vertices and $G, H$ be finite graphs without loops or multiple edges. Given any two-coloring of edges of $K_{n}$, if a copy of $G$ in the first color, red, or a copy of $H$ in the second color, blue is in $K_{n}$, we write $K_{n} \rightarrow(G, H)$. The Ramsey number $r(G, H)$ is defined as the smallest positive integer $n$ such that $K_{n} \rightarrow(G, H)$. Star critical Ramsey $r_{*}(G, H)$ is defined as the largest integer $k$ such that $K_{r(G, H)-1} \sqcup K_{1, k} \rightarrow(G, H)$. In this paper, we find $r_{*}\left(C_{n}, K_{m}\right)$ for $m \geq 6$ and $n \geq(m-3)(m-1)$.


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